QFTahoe 2013 schedule

	morning	arrivals	
Sunday	5:30-6:30	Peter Teichner	A factor of six
	7–9	dinner	
	after dinner	"workshop apéritifs"	a few words from each participant
Monday	9–10	Harold Williams	Path integrals and statistical inference
	10-10:30	break	
	10:30-11:30	Shamil Shakirov	Non-gaussian integrals and algebraic geometry
	11:30-5:30	break	
	5:30-6:30	James Tener	Segal CFT and vertex algebras via bounded operators
	7–9	dinner	
Tuesday	9—10	Sam Gunningham	Spin Hurwitz numbers and TFT
	10-10:30	break	
	10:30-11:30	Sasha Shapiro	Representation theory of Yangians
	11:30-5:30	break	
	5:30-6:30	Dan Berwick-Evans	Genera and SUSY QFT
	7–9	dinner	
Wodpocdov		ski day — no talks	
Wednesday	all day		
	5:30-6:30	Gus Schrader	Wakimoto modules
Thursday	5:30–6:30 7–9	Gus Schrader dinner	
	5:30-6:30	Gus Schrader	Let \mathcal{O} and $\mathcal{O}^!$ be a Koszul pair of operads. Then
	5:30–6:30 7–9	Gus Schrader dinner	Let \mathcal{O} and $\mathcal{O}^!$ be a Koszul pair of operads. Then the $(\infty, 1)$ -categories dgAlg _{$\mathcal{O}^!$} and Moduli _{\mathcal{O}} are
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